



**Name :** .....

**1C01 ECO : MATHEMATICS FOR ECONOMIC ANALYSIS – I**  
**(2012-13 Admn.)**

**Max. Weightage : 30**

PART - A

I. Objective type questions. **Each** bunch carries 1 weightage.

- 1) If  $y = e^{2x}$ ,  $\frac{dy}{dx}$  is

- a)  $e^x$   
c)  $e^{2x}$

- 2) If  $f(x) = x^3 - 2x + 1$  and  $g(x) = x^2 + 7x + 2$  value of  $f(-1) \cdot g(0)$  is
- a) 4                      b) -4                      c) 0                      d) 2

- 3)  $\lim_{x \rightarrow 3} \left( \frac{x^2 - 9}{x - 3} \right)$  is equal to

- a) 3                      b) 0  
c) 6                      d) 1

- 4) Derivative of a constant is

- a) constant                      b) 1  
c) zero                              d) none

**(Weightage : 1)**



II. 5) Graph of  $x^2 = 4y$  is

- a) straight line
- c) hyperbola

- b) parabola
- d) circle

6) The demand for sugar is  $P = 15 - \frac{1}{5}x$ , then marginal revenue function is

a)  $-\frac{1}{5}$

b)  $15 - \frac{1}{5}x$

c)  $15x - \frac{1}{5}x^2$

d)  $15 - \frac{2}{5}x$

7)  $\frac{d}{dx}(3x^4 + 5x^3 + 10)$  is

a)  $12x^3 + 15x^2 + 10$

b)  $12x^3 + 15x^2$

c)  $7x^4 + 8x^3$

d) none

8) The demand function is

- a) monotonic decreasing
- b) monotonic increasing
- c) neither (a) nor (b)
- d) both (a) and (b)

(Weightage : 1)

### PART – B

III. Short answer questions. Answer **any 10** questions. **Each** carries **one** weightage.

- 9) Define cubic function.
- 10) Find the slope of the line  $5x + 2y - 3 = 0$ .
- 11) Define homogeneous function.
- 12) State Euler's theorem.
- 13) Define derivative of a function.
- 14) If the cost function is  $C(x) = 4x - 6$  and the revenue function is  $R(x) = 9x - x^2$  where  $x$  is the number of units produced then find the profit function.



15) Evaluate  $\lim_{x \rightarrow 0} \left( \frac{3x^2 + 4x^3}{2x} \right)$

16) Using L.Hospital's rule; evaluate  $\lim_{x \rightarrow 0} \frac{x^2 + x^3}{2x}$ .

17) Define the following :

- a) Cubic function
- b) Exponential function
- c) Logarithmic function
- d) Quadratic function.

18) When is total revenue maximum ?

19) Find  $\frac{\partial z}{\partial x}$  and  $\frac{\partial z}{\partial y}$  if  $z = 3x^2y + 5xy^2$ .

20) Define exponential function.

(10×1=10)

### PART – C

IV. Short essay. Answer **any 5** questions.

21) If  $y = \frac{1+x}{1-x}$ , prove that  $\frac{d^2y}{dx^2} = \frac{4}{(1-x)^3}$ .

22) Draw the cost curve for the function governed by  $C = \frac{1}{10}x^2 + 5x + 2000$  when  $x$  is the number of tons of sugar produced and  $C$  is the total cost.

23) What is equilibrium price and quantity given by  $Q_d = 2 - 0.2P$  and  $Q_s = 0.2 + 0.07P$  ?

24) What are the properties of homogeneous function ?

25) Given  $R(x) = 9x - x^2$  and  $C(x) = 4x - 6$ , find the break even point.

26) Find the marginal cost, marginal revenue and equilibrium price for the function  $C(x) = x^2 + 2x$  and  $P = 15 - 2x$ .

27) What are the properties of limits ? Illustrate with examples.

(Weightage 5×2=10)



## PART - D

V. Long essay. Answer **any 2** questions. **Each** question carries **4** weightage.

28) A monopolist has the total cost function given by  $C = 1000 + 2x + \frac{x^2}{90}$  where

C is the cost and x is the output. Find the level of output at which average cost is minimum.

29) Differentiate :

a)  $4x^3 + 3x^2 - 2x + 7$

b)  $x \log x$

c)  $\frac{(3x+1)(x-2)}{(x-1)(3x+2)}$

d)  $\frac{a^x}{x^2}$

30) What are the application of partial derivatives in economics ? Illustrate with examples.

31) Define homogeneous function. For the following functions, show that if  $f(x, y)$  is homogeneous of degree h and  $k^{\text{th}}$  derivative of  $f(x, y)$  is homogeneous of degree  $(h - k)$

a)  $f(x, y) = x^2y^2 + xy^3$

b)  $f(x, y) = ax^2y + bxy^2$

c)  $f(x, y) = x^2 + xy - 3y^2$ .

(Weightage 4×2=8)